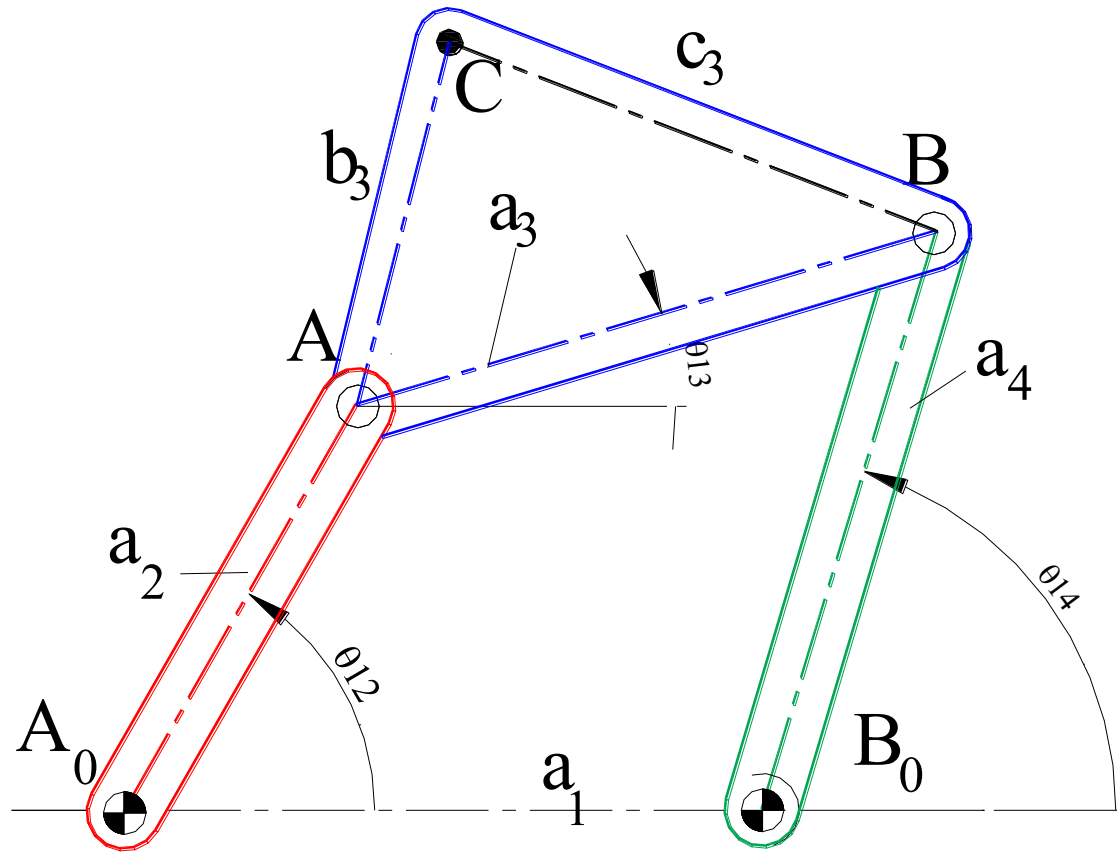


Geogebra and Excel

Geogebra



https://www.youtube.com/channel/UCELZzjZ-m4E0nbqD_P5Vpew

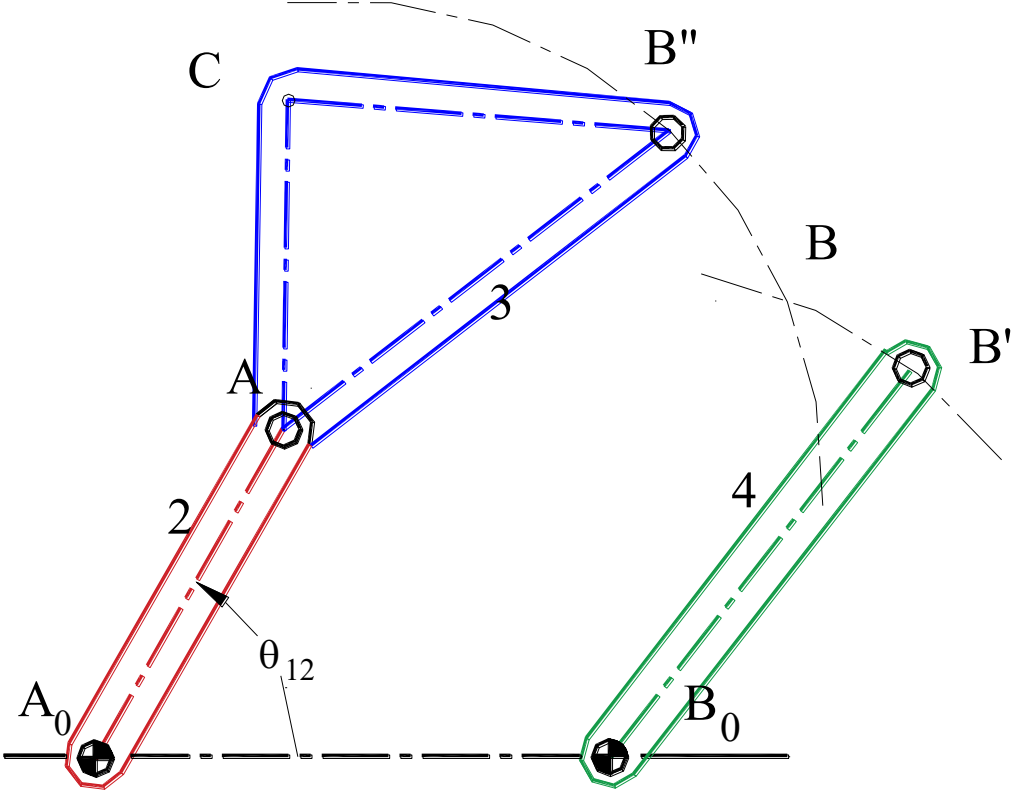


$$a_1=150, a_2=100, a_3=130, a_4=145, b_3=80, c_3=120$$

Given: A four bar mechanism (all link dimensions are given), crank angle, θ_{12} . and constant angular velocity of link 2, ω_{12}

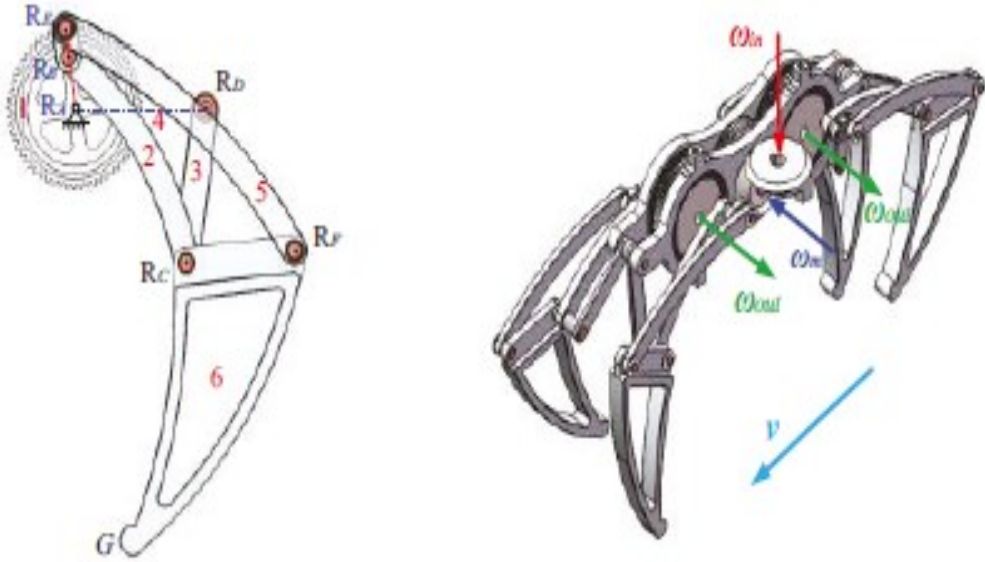
Find: θ_{14} , coordinates of point C, angular velocity of link 4, ω_{14} and the angular velocity of point C

Geometrical Solution

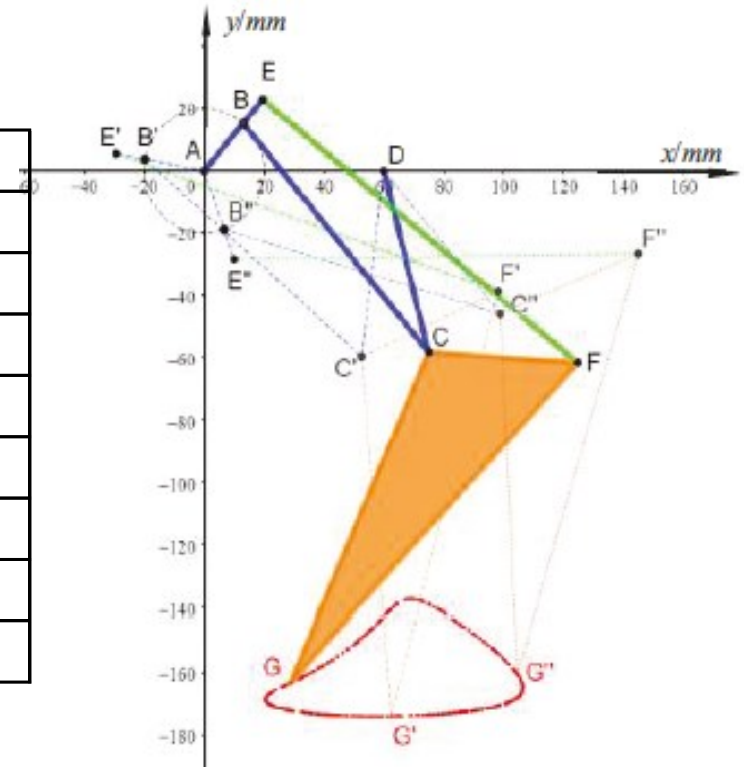


Geo_gebra

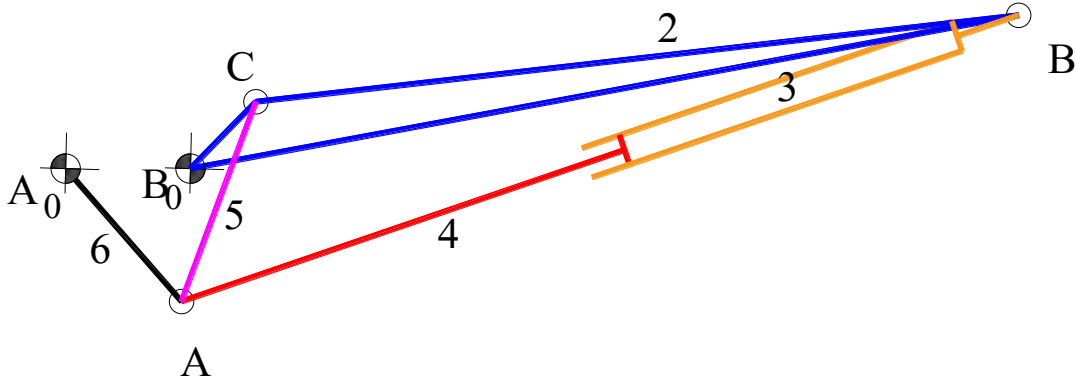
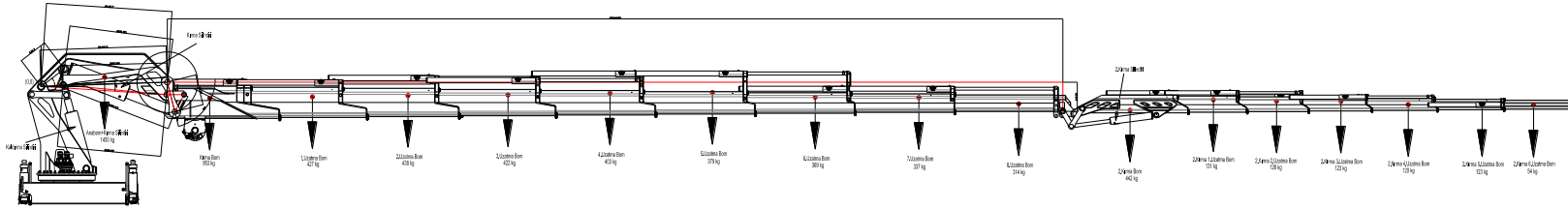
Walking leg of a robot.



AB	20
BC	96
CD	60
AD	60
AE	30
EF	135
FG	140
CF	50
CG	115



by Xu, Lui, Zhu and Song **“Six Bar Bionic Leg”**,
Mechanisms and Machine Science, 2019, pp:13-21.



A_0B_0	a_1	250
A_0A	a_6	360
AC	a_5	435
B_0C	c_2	196
CB	b_2	1568
B_0B	a_2	1724

$$\angle CBB_0 = \beta = \arccos((b_2^2 + a_2^2 - c_2^2)/(2 * b_2 * a_2))$$

$$\angle B_0A_0A = \theta_{16} = -\arccos((a_6^2 + a_1^2 - s^2)/(2 * a_6 * a_1))$$

$$\angle CBA = \phi = \arccos((b_2^2 + s_{34}^2 - a_5^2)/(2 * b_2 * s_{34}))$$

$$B_0A = s = \sqrt{[a_2^2 + s_{34}^2 - 2 * a_2 * s_{34} * \cos(\phi - \beta)]}$$

or

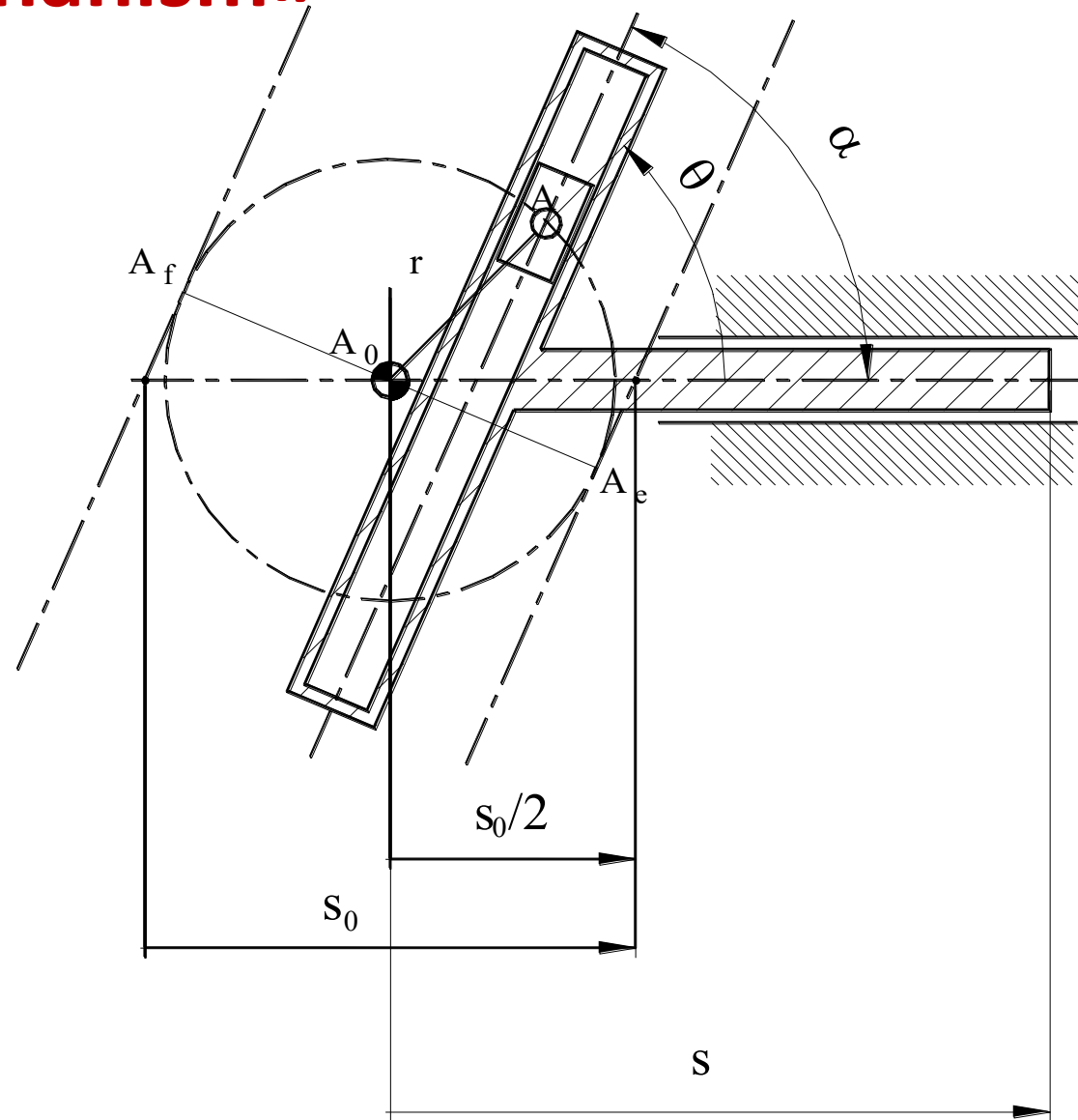
$$\angle BCB_0 = \beta' = \arccos((b_2^2 + c_2^2 - a_2^2)/(2 * b_2 * c_2))$$

$$B_0A = s = \sqrt{[c_2^2 + a_5^2 - 2 * c_2 * a_5 * \cos(\beta' - \phi')]}$$

$$\angle ACB = \phi' = \arccos((b_2^2 + s_{34}^2 - a_5^2)/(2 * b_2 * s_{34}))$$

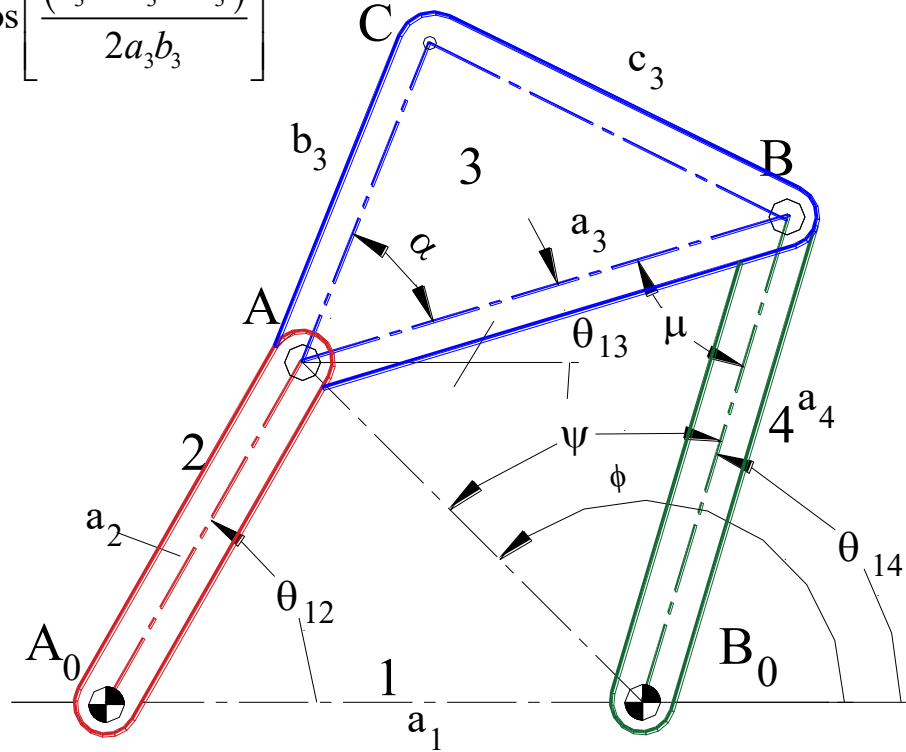
»Scotch Yoke Mechanism»

In most cases the slider axes are perpendicular to each other and the stroke is twice the crank length. Let the crank length $r=A_0A$, The angle α Can have values between 0° and 90° , Using geogebra model this mechanism.



Analytical Solution:

$$\alpha = \arccos \left[\frac{(b_3^2 + a_3^2 - c_3^2)}{2a_3b_3} \right]$$



$$a_1=150, a_2=100, a_3=130, a_4=145, b_3=80, c_3=120$$



$$B_0A = s_x + is_y = se^{i\phi}$$

$$B_0A = (-a_1 + a_2 \cos \theta_{12}) + i(a_2 \sin \theta_{12})$$

$$s_x = -a_1 + a_2 \cos \theta_{12}$$

$$s_y = a_2 \sin \theta_{12}$$

$$s = \sqrt{(s_x^2 + s_y^2)}$$

$$\phi = a \tan 2(s_x; s_y)$$

$$\psi = \arccos \left[\frac{(s^2 + a_4^2 - a_3^2)}{2sa_4} \right]$$

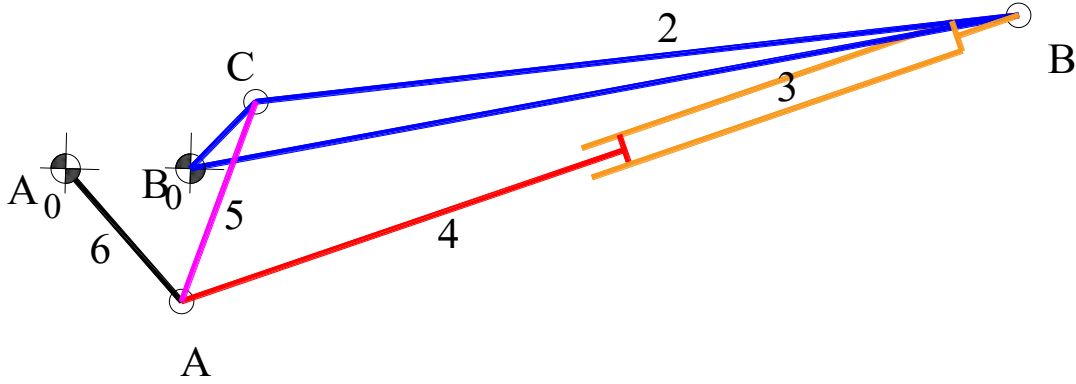
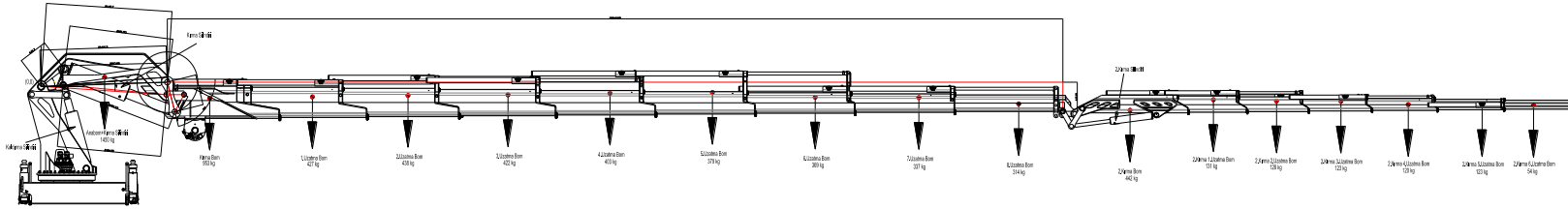
$$\mu = \arccos \left[\frac{(a_3^2 + a_4^2 - s^2)}{2a_3a_4} \right]$$

$$\theta_{14} = \phi - \psi$$

$$\theta_{13} = \theta_{14} - \mu$$

$$x_C = a_2 \cos \theta_{12} + b_3 \cos(\theta_{13} + \alpha)$$

$$y_C = a_2 \sin \theta_{12} + b_3 \sin(\theta_{13} + \alpha)$$



A_0B_0	a_1	250
A_0A	a_6	360
AC	a_5	435
B_0C	c_2	196
CB	b_2	1568
B_0B	a_2	1724

$$\angle CBB_0 = \beta = \arccos\left(\frac{b_2^2 + a_2^2 - c_2^2}{2 * b_2 * a_2}\right)$$

$$\angle B_0A_0A = \theta_{16} = -\arccos\left(\frac{a_6^2 + a_1^2 - s^2}{2 * a_6 * a_1}\right)$$

$$\angle CBA = \phi = \arccos\left(\frac{b_2^2 + s_{34}^2 - a_5^2}{2 * b_2 * s_{34}}\right)$$

$$B_0A = s = \sqrt{[a_2^2 + s_{34}^2 - 2 * a_2 * s_{34} * \cos(\phi - \beta)]}$$

or

$$\angle BCB_0 = \beta' = \arccos\left(\frac{b_2^2 + c_2^2 - a_2^2}{2 * b_2 * c_2}\right)$$

$$B_0A = s = \sqrt{[c_2^2 + a_5^2 - 2 * c_2 * a_5 * \cos(\beta' - \phi')]}$$

$$\angle ACB = \phi' = \arccos\left(\frac{b_2^2 + s_{34}^2 - a_5^2}{2 * b_2 * s_{34}}\right)$$

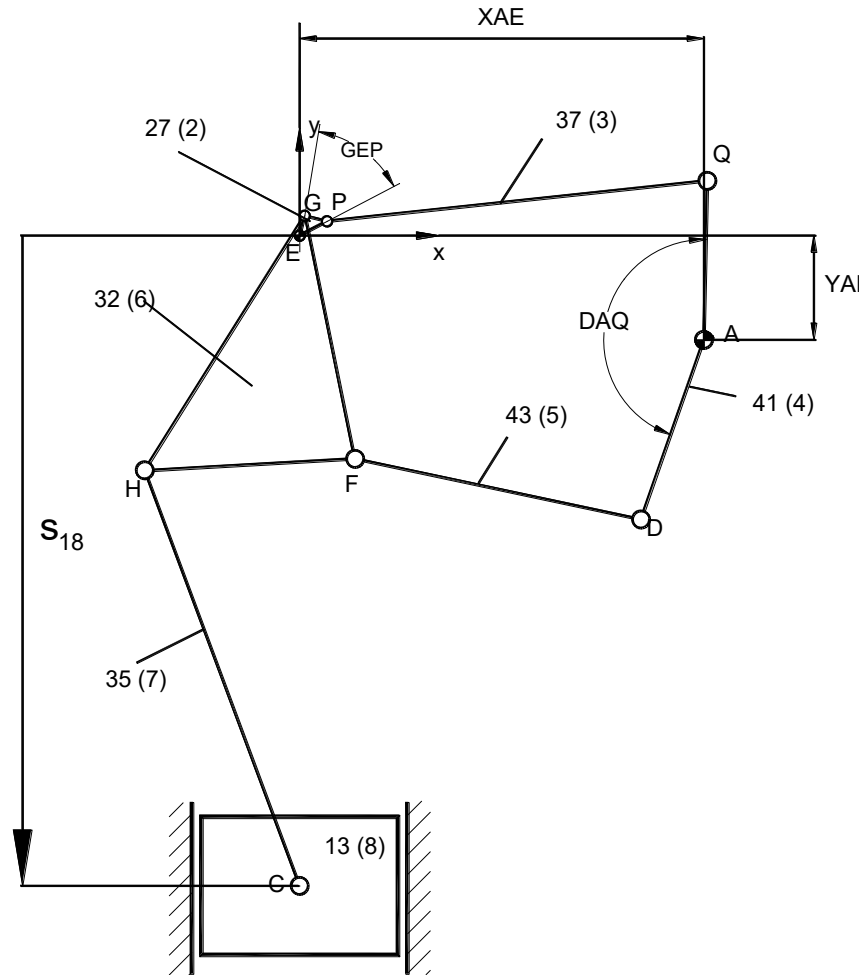
US4138904

Link drive Mechanism for mechanical Press

Tsuruo Otsuka, Jacob J. Zeilengu

20 Temmuz 1977

Example.



Elements	Fig. 3
(X)AE	43.000"
(Y)AE	- 8.000
(Y)CE	-56.000
EP	4.750
EG	3.000
GH	28.750
FG	24.750
FH	16.000
CH	36.500
PQ	39.250
AQ	16.000
AD	19.000
DF	34.500
< GEX	58.797775°
< PEX	10.472730°
<GEP	48.325044°
<DAQ	162.396480°